

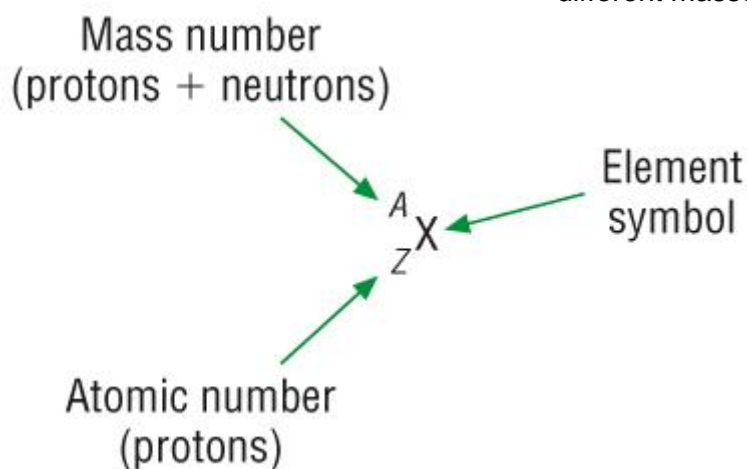
## 1B – The Mole

### Atomic Masses

#### Protons, electrons and neutrons

Sub-Atomic Particle	Atomic Mass	Atomic Charge	working it out
Proton	1	+1	<b>bottom</b>
Electron	1/2000	-1	<b>bottom</b>
Neutron	1	0	<b>top - bottom</b>

- From GCSE this table shows that only protons and neutrons have a mass.
- Since different elements have different atoms.
- These atoms have different numbers of protons and neutrons (and electrons).
- This means that different elements atoms **must** have different masses.



- So an atom of one element **must** have a different mass from another element, we call this the **Mass Number**.
- The number of protons determines which element an atom is and the bottom number tell us this, we call this the **Atomic number**.

#### Examples:-

##### 1) Lithium



- The top number is the **Mass number**. This means that the total number of **protons and neutrons are 7**.
- The bottom number is the **Atomic number**. **This is the number of protons**.
- Because an **atom is neutral**, this means that this is also the number of electrons. This atom has **3 protons and 3 electrons**.
- If we take the **Atomic number (Z)** from the **Mass number (A)** we get the number of neutrons. **7-3=4 neutrons**.

##### 2) Nitrogen



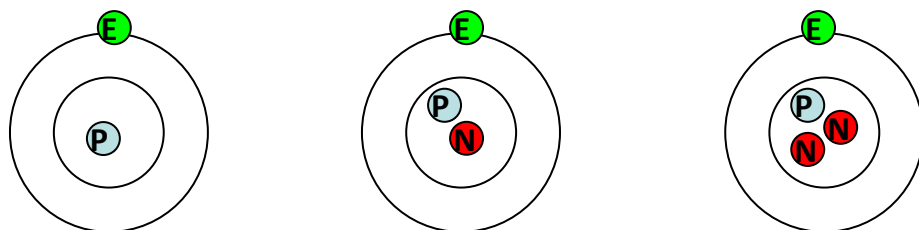
- An atom of nitrogen is twice as heavy as an atom of Lithium.
- The top number is the **mass number**. This means that the total number of **protons and neutrons are 14**.
- The bottom number is the **Atomic number**. **This is the number of protons**.
- Because an **atom is neutral**, this means that this is also the number of electrons. This atom has **7 protons and 7 electrons**.

- If we take the **Atomic number (Z)** from the **Mass number (A)** we get the number of neutrons.  **$14-7=7$  neutrons.**

## Isotopes

**An atom of the same element that has the same number of protons and electrons but a different number of neutrons.**

- As the atom has the same number of protons and electrons it will have the same chemical properties.
- They are all hydrogen atoms because they all have the **same number of protons**
- Hydrogen can be used as an example:-



Hydrogen – 0  
Neutrons

Hydrogen – 1  
Neutron  
(deuterium)

Hydrogen – 2  
Neutrons  
(tritium)

## Measurement of relative masses

- Because Chemistry is about reacting ratios we have to measure the amount of reacting particles of each reactant.
- We now know that each atom (and therefore molecules) have different masses (because they have different numbers of protons and neutrons), we have to be able to weigh out a number of particles of reactants to react with each other.
- Since atoms are so small we give them a mass scale of their own.
- This scale is called:

**Unified atomic mass unit, u:  $1\text{u} = 1.66 \times 10^{-24}\text{g}$**

- This is basically the masses of a proton / neutron.

**The mass of a carbon - 12 atom = 12u**

**The mass of 1/12th of a carbon - 12 atom = 1u**

- We have to state the Atomic mass number of the atom as elements usually have isotopes:

**There is a carbon - 13 atom containing an extra neutron,  
this would have an mass of 13u!!**

- This is not the only thing we have to be careful of, there are 4 different types of masses and we have to use the correct one depending what we are referring to:

### 1) Relative isotopic mass:

- We use this one when we are only referring to **one isotope of an element**  $^{16}\text{O}$  has a mass of 16u

## 2) Relative atomic mass:

- We use this one when we are referring to **the mixture of naturally occurring isotopes in of an element (the average by % - later)**

## 3) Relative molecular mass, (Mr):

- We use this one when we are referring to **simple molecules. Basically covalently bonded molecules, Cl<sub>2</sub>, H<sub>2</sub>O:**
- Water, H<sub>2</sub>O has a mass of 18u**

$$\begin{array}{r} \text{H } 1 \times 2 = 2 \\ \text{O } 16 \times 1 = \underline{16} \\ \hline 18 \end{array}$$

## 4) Relative formula mass:

- We use this one when we are referring to **ionic compounds and giant covalent compounds. Such as CaBr<sub>2</sub>, SiO<sub>2</sub>**
- Calcium bromide, CaBr<sub>2</sub> has a mass of 199.9u**

$$\begin{array}{r} \text{Ca } 40.1 \times 1 = 40.1 \\ \text{Br } 79.9 \times 2 = \underline{159.8} \\ \hline 199.9\text{u} \end{array}$$

- However for convenience we often use relative molecular mass instead.

## Calculating Relative Atomic Mass (RAM) from % abundance

- Use the formula:

$$\text{RAM} = \frac{(\% \times \text{Ar}) + (\% \times \text{Ar}) + \dots}{100}$$

- Mass spectroscopy is the analytical method we use to obtain the % abundances for the isotopes.

## Worked example:

RAM of Neon isotopes	Abundance %
20	90.9
21	0.2
22	8.9

$$\text{RAM} = \frac{(90.9 \times 20) + (0.2 \times 21) + (8.9 \times 22)}{100}$$
$$\text{RAM} = 20.18$$

## Have a go for Si:

RAM of silicon isotopes	% Abundance
28	92.2
29	4.7
30	3.1

## Amount of substance and the mole

- Since atoms are so small and therefore have such a small mass we have to measure them in large numbers.
- These large numbers are called a mole.
- The simplest way to understand the mole is to treat it as a word to describe a number:-

Dozen 12

Ton 100

Pony 20

Grand 1000

**Mole  $6.02 \times 10^{23}$  (Avogadro's constant,  $N_A$ )**

- The mole is such a large number as it takes that many atoms to be able to measure a mass in g.
- It does appear to be quite an unusual number but it has been thought out:

**Basically in 12g of carbon-12 you would find  $6 \times 10^{23}$  atoms of carbon.**

- This number has been chosen to make it fit with the Atomic Masses from the Periodic Table:

**1g** of  $^1\text{H}$  atoms would have  $6 \times 10^{23}$  atoms of H

**16g** of  $^{16}\text{O}$  atoms would have  $6 \times 10^{23}$  atoms of O (atom is 16 x heavier than H)

**32g** of  $^{32}\text{S}$  atoms would have  $6 \times 10^{23}$  atoms of S (atom is 32 x heavier than H)

**When you think about it like this it actually makes sense!!!**

- In fact if you were to measure out  **$6 \times 10^{23}$  (A Mole)** atoms of any element you would find that its mass is the same as its **RAM**:-

1 Mole of Sodium  $^{23}\text{Na}$  **23g**  $\text{mol}^{-1}$

1 Mole of Magnesium  $^{24}\text{Mg}$  **24g**  $\text{mol}^{-1}$

1 Mole of Iron  $^{56}\text{Fe}$  **56g**  $\text{mol}^{-1}$

- A molecule is made up from more than 1 atom so the mass of 1 mole of that molecule will be the sum of the RAM

1 Mole of water  $\text{H}_2\text{O}$  18g  $\text{mol}^{-1}$

1 Mole of Sodium Chloride  $\text{NaCl}$  58.5g  $\text{mol}^{-1}$

## Using Moles

- Because we can't actually count out molecules or atoms (moles) we convert it to something we can measure i.e. mass.
- If 1 Mole of water is 18g then 2 moles would be 36g. 3 moles would be 54g and 0.5 moles would be 9g.
- The numbers are not always this simple so a formula helps.

$$\text{No. Moles} = \frac{\text{Mass}}{\text{Ar}(\text{Mr})}$$

OR

$$\text{Moles} = \frac{m}{M_r}$$

## Types of Formula

**Empirical Formula** is the simplest ratio of atoms in a molecule. Molecular formulae is the actual ratio of atoms in a molecule

- This can be calculated using moles from percentage composition:-

### Example 1

A sample of iron oxide was found to have 11.2g of iron and 4.8g of oxygen. Calculate the formula of this compound

<b>Element</b>	<b>Fe</b>		<b>O</b>
<b>Masses</b>	<b>11.2</b>		<b>4.8</b>
<b>Divide by Ar</b>	<b>11.2 / 55.8</b>		<b>4.8 / 16</b>
<b>Moles</b>	<b>0.2</b>	<b>:</b>	<b>0.3</b>
<b>Divide by smallest</b>	<b>0.2 / 0.2</b>	<b>:</b>	<b>0.3 / 0.2</b>
<b>Ratio</b>	<b>1</b>	<b>:</b>	<b>1.5</b>
<b>Whole No Ratio</b>	<b>2</b>	<b>:</b>	<b>3</b>
<b>Empirical formula</b>	<b>Fe<sub>2</sub>O<sub>3</sub></b>		

### Example 2

A sample of hydrocarbon was found to have 1.20g of carbon and 0.25g of hydrogen. Calculate the Empirical formula of this compound. Then find out the molecular formula if the Mr = 58

<b>Element</b>	<b>C</b>		<b>H</b>
<b>Masses</b>	<b>1.20</b>		<b>0.25</b>
<b>Divide by Ar</b>	<b>1.20 / 12</b>		<b>0.25 / 1</b>
<b>Moles</b>	<b>0.10</b>	<b>:</b>	<b>0.25</b>
<b>Divide by smallest</b>	<b>0.10 / 0.10</b>	<b>:</b>	<b>2.5 / 0.10</b>
<b>Ratio</b>	<b>1</b>	<b>:</b>	<b>2.5</b>
<b>Whole No Ratio</b>	<b>2</b>	<b>:</b>	<b>5</b>
<b>Empirical formula</b>	<b>C<sub>2</sub>H<sub>5</sub> (29 x 2 = 58)</b>		
<b>Molecular formula</b>	<b>C<sub>4</sub>H<sub>10</sub></b>		

Questions 1,2 p13 / 6,7 p35

**Moles and gas volumes**  
**Avogadro's hypothesis**

Equal volumes of gases will have the same number of atoms / molecules



- This makes gases particularly easy to calculate 1 mole of any gas, no matter what it is, occupies the same volume (at RTP)

**1 mole of any gas occupies  $24\text{dm}^3$  ( $24000\text{cm}^3$ ) at room temperature and pressure.**

- Again the numbers are not always simple so a general formula will help:-

$\text{No. Moles} = \frac{\text{Volume (dm}^3\text{)}}{24\text{dm}^3}$
--

$\text{Moles} = \frac{V \text{ (dm}^3\text{)}}{24}$
---

Questions 1-3 p15 / 8 p35 / 3 p36

**Moles and solution**  
**Concentration:**

- So far when we have looked at reacting quantities we have dealt with the mole.
- Many reactions in chemistry involve solutions.
- A solution is expressed as a number of moles in  $1\text{dm}^3$  (1 litre or  $1000\text{cm}^3$ ) of solvent (usually water).
- **Concentration is the number of moles of specified entities in  $1 \text{ dm}^3$  of solution.**

<b>Volume (<math>\text{dm}^3</math>)</b>	<b>1.0 <math>\text{dm}^3</math></b>	<b>1.0 <math>\text{dm}^3</math></b>	<b>1.0 <math>\text{dm}^3</math></b>
<b>Moles dissolved</b>	<b>2.0 mole</b>	<b>1.0 mole</b>	<b>0.5 mole</b>
<b>Concentration</b>	<b>2.0 mol <math>\text{dm}^{-3}</math></b>	<b>1.0 mol <math>\text{dm}^{-3}</math></b>	<b>0.5 mol <math>\text{dm}^{-3}</math></b>
<b>Calculated by</b>	<b>Moles / Vol (<math>\text{dm}^3</math>)</b>	<b>Moles / Vol (<math>\text{dm}^3</math>)</b>	<b>Moles / Vol (<math>\text{dm}^3</math>)</b>
	<b>2.0 / 0.5</b>	<b>1.0 / 1.0</b>	<b>1.0 / 2.0</b>

- We use square brackets to denote concentration  $[X]$ . (also known as **molarity, M**).

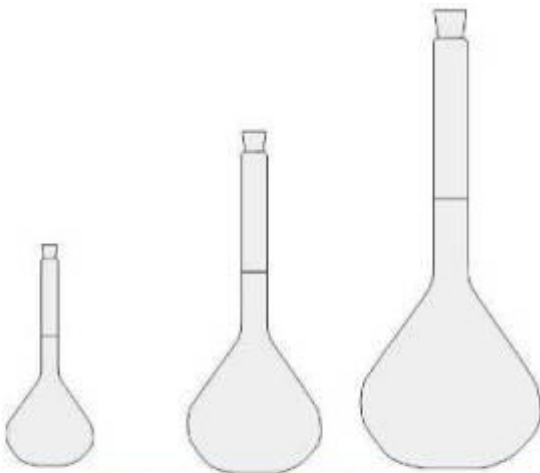
- For example – a solution of sodium hydroxide has a concentration of  $1.0 \text{ Mol dm}^{-3}$  (1.0M)

$[\text{NaOH}_{(\text{aq})}] = 1.0\text{M}$  This means there is 1 mole of sodium hydroxide dissolved in  $1\text{dm}^3$  of water.

$[\text{NaCl}_{(\text{aq})}] = 2.0\text{M}$  This means there is 2 moles of sodium chloride dissolved in  $1\text{dm}^3$  of water.

$[\text{KOH}_{(\text{aq})}] = 0.5\text{M}$  This means there is 0.5 mole of potassium hydroxide dissolved in  $1\text{dm}^3$  of water.

- This is fine so long as we keep making up  $1\text{dm}^3$  solutions.
- Most lab experiments only use a  $100\text{cm}^3$  or so and making up  $1000\text{cm}^3$  would be waste so we need to scale down:
- For example –  $500\text{cm}^3$  solution of sodium hydroxide has a concentration of  $1.0 \text{ Mol dm}^{-3}$  (1.0M)



Volume ( $\text{dm}^3$ )	$0.5 \text{ dm}^3$	$1.0 \text{ dm}^3$	$2.0 \text{ dm}^3$
Moles dissolved	1.0 mole	1.0 mole	1.0 mole
Concentration	$2.0 \text{ mol dm}^{-3}$	$1.0 \text{ mol dm}^{-3}$	$0.5 \text{ mol dm}^{-3}$
Calculated by	Moles / Vol ( $\text{dm}^3$ )	Moles / Vol ( $\text{dm}^3$ )	Moles / Vol ( $\text{dm}^3$ )
	$2.0 / 0.5$	$1.0 / 1.0$	$1.0 / 2.0$

$500\text{cm}^3 [\text{NaOH}_{(\text{aq})}] = 1.0\text{M}$ : 0.5 moles of sodium hydroxide dissolved in  $0.5\text{dm}^3$  water.

$2000\text{cm}^3 [\text{NaCl}_{(\text{aq})}] = 2.0\text{M}$ : 4 moles of sodium chloride dissolved in  $2\text{dm}^3$  of water.

$100\text{cm}^3 [\text{KOH}_{(\text{aq})}] = 0.5\text{M}$ : 0.05 moles of sodium hydroxide dissolved in  $0.1 \text{ dm}^3$  of water.

- The values are not usually as nice as this so we can use the following formula:-

$$\text{Concentration (mol dm}^{-3}\text{)} = \frac{\text{No. of moles}}{\text{Volume(dm}^3\text{)}} \quad C = \frac{n}{V (\text{dm}^3)}$$

- Basically the number of moles per volume of solution.
- We usually like our formula to have **n, number of moles at the start**:

$$\text{No. of moles} = \text{Concentration (Mol dm}^{-3}\text{)} \times \text{Volume (dm}^3\text{)} \quad n = C \times V (\text{dm}^3)$$

- However this formula assumes we are working in  $\text{dm}^3$  and we usually work in  $\text{cm}^3$ .
- $\text{dm}^3$  and  $\text{cm}^3$  are related by a factor of 1000 – you must convert into  $\text{dm}^3$  by dividing  $\text{cm}^3$  by 1000**

## Standard solutions

- We can make solutions of known concentration using volumetric flasks. The easiest way of learning this is to try an example.
- We need 250cm<sup>3</sup> of 0.1 mol dm<sup>3</sup> solution of sodium hydroxide.
- Use the formula to calculate the No. of moles of sodium hydroxide –

$$\text{No. of moles} = \text{Concentration (Mol dm}^3) \times \text{Volume (cm}^3)$$

$$\text{No. of moles} = 0.1 \text{ Mol dm}^3 \times 250 \text{ cm}^3$$

$$\text{No. of moles} = 0.025 \text{ Mol}$$

- Now we know how many moles of sodium carbonate we need in 250 cm<sup>3</sup> to make a 0.800 Molar solution.
- We now need to convert moles into a mass –

$$\text{Mass} = \text{No. Moles} \times \text{Mr}$$

$$\text{Mass} = 0.025 \times 40$$

$$\text{Mass} = 1\text{g}$$

$$\text{Mr (NaOH)} = 1 \times 23 = 23$$

$$1 \times 16 = 16$$

$$1 \times 1 = 1$$

$$40 \text{ gMol}^{-1}$$

- Weigh this out in a beaker.
- Dissolve in distilled water and pour into the graduated flask.
- Add more distilled water to the beaker to wash the solute into the graduated flask.
- Repeat the last step several times to ensure all the solute is in the graduated flask.
- Fill the graduated flask with distilled water so the meniscus sits on the line.
- Stopper the flask and invert several times to ensure mixing.

## Mass Concentrations:

- This is the mass in g dissolved in 1 dm<sup>3</sup> of solution
- This means that the concentrations are measured in g dm<sup>-3</sup> instead
- The concentration for the solution made above would be 1 g dm<sup>-3</sup> as a mass concentration.

## Concentrated vs diluted:

- This is down to the amount of solute dissolved in solution:
- **Concentrated** : Lots of solute per dm<sup>3</sup>
- **Diluted** : A small amount of solute per dm<sup>3</sup>

## Questions 1-3 p17 / 9,10 p35 / 4 p36

## Moles and reactions

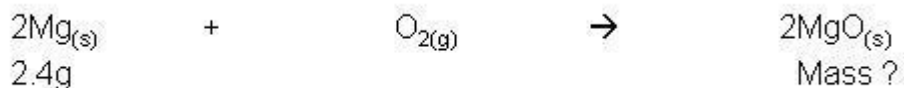
- Mole calculations can now be used to calculate reacting amounts / product amounts.
- This is done by using the balanced chemical equation and moles calculations using masses, gas volumes and concentrations.
- **ALL** of these require the use of the mole:



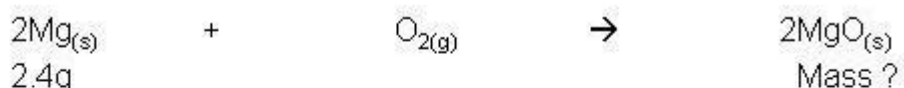
## Mass / mole calculations:

**Example:** 2.4g Magnesium reacts in air to form magnesium oxide. Calculate the mass of magnesium oxide made:

**STEP1:** Write a balanced chemical equation and add the amounts given and question mark what you are asked to work out:

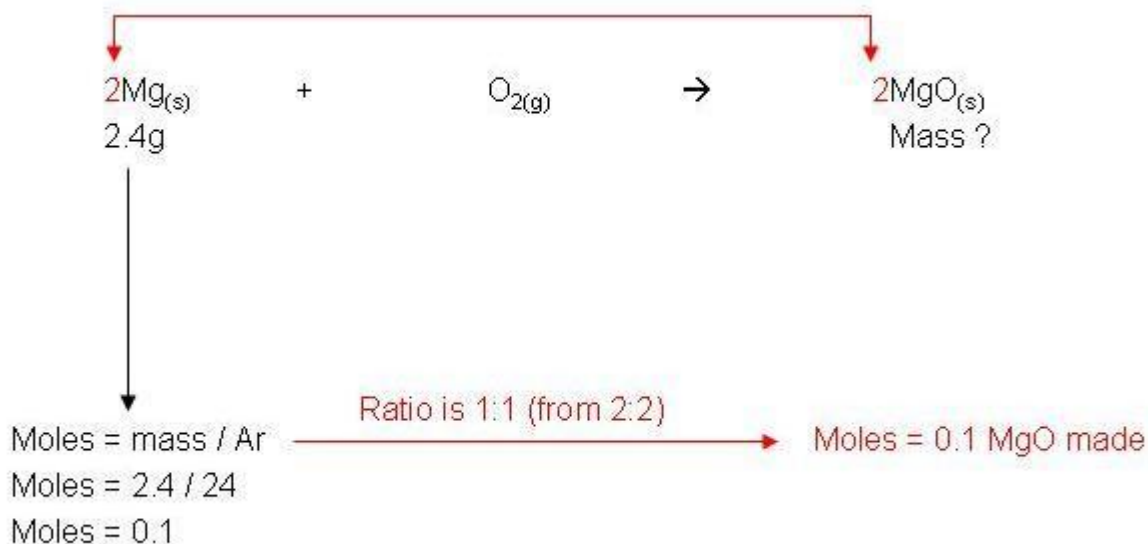


**STEP2:** Check the state symbol of your starting mass to decide which moles equation you will use  
- (s) - means you use **Moles = mass / Ar**

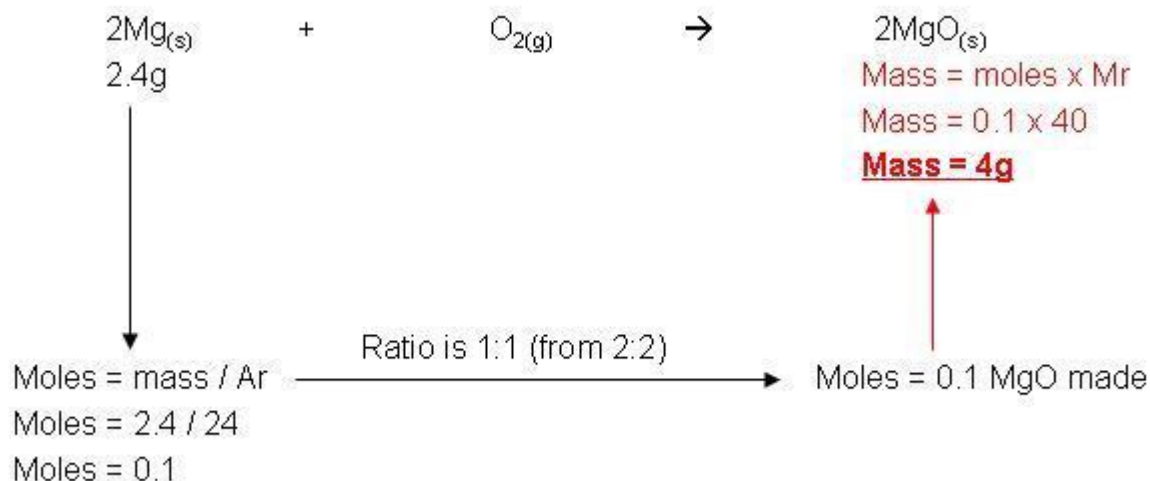


Moles = mass / Ar  
Moles = 2.4 / 24  
Moles = 0.1

**STEP3:** Use the reacting **ratios** to work out how many moles you have made (or need):



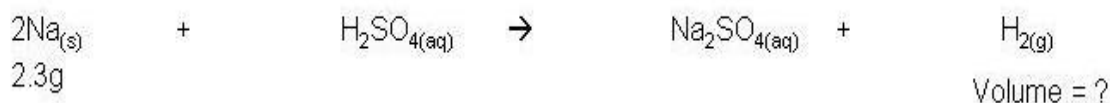
**STEP4:** Check the question/ state symbol to decide whether to convert it to mass / concentration / volume - (s) = mass



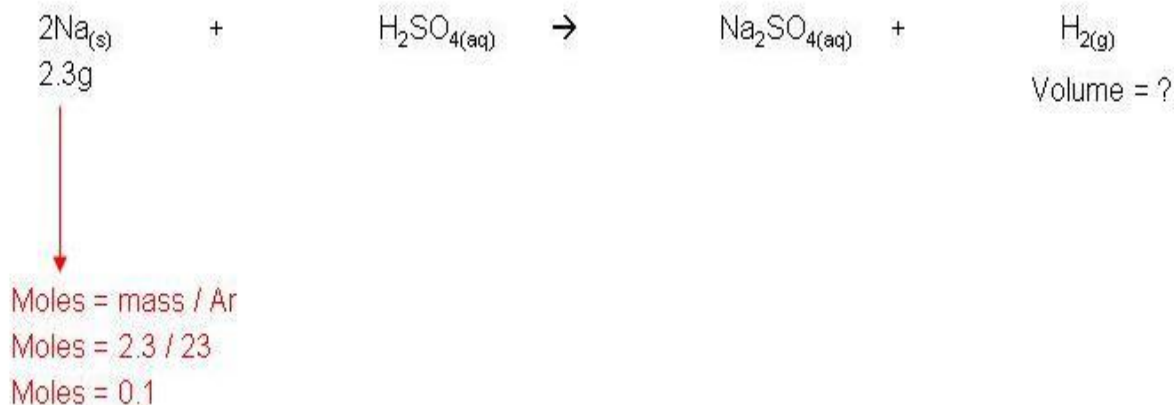
### Gas / mole calculations:

**Example:** 2.3g sodium reacts with excess sulphuric acid to form sodium sulphate and hydrogen gas. Calculate the volume of hydrogen made:

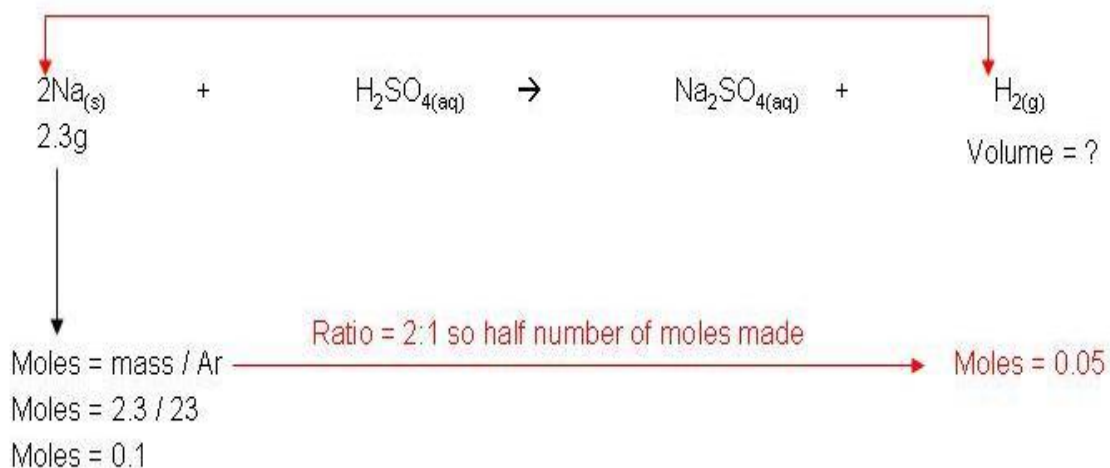
**STEP1:** Write a balanced chemical equation and add the amounts given and question mark what you are asked to work out:



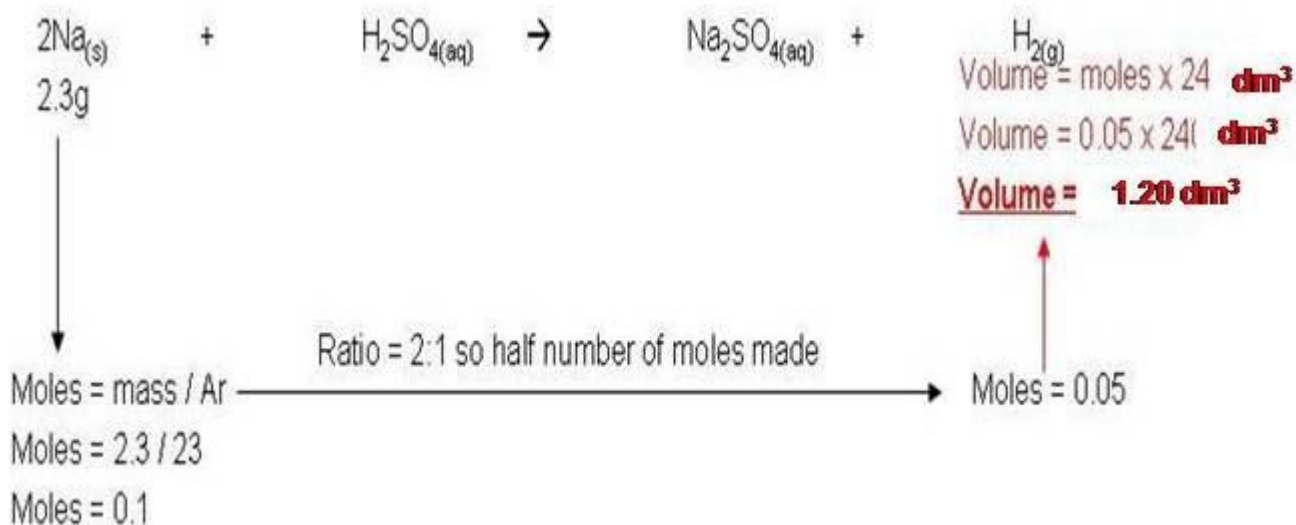
**STEP2:** Check the state symbol of your starting mass to decide which moles equation you will use  
 - (s) - means you use **Moles = mass / Ar**



**STEP3:** Use the reacting **ratios** to work out how many moles you have made (or need):



**STEP4:** Check the question/ state symbol to decide whether to convert it to mass / concentration / volume - (g) = volume



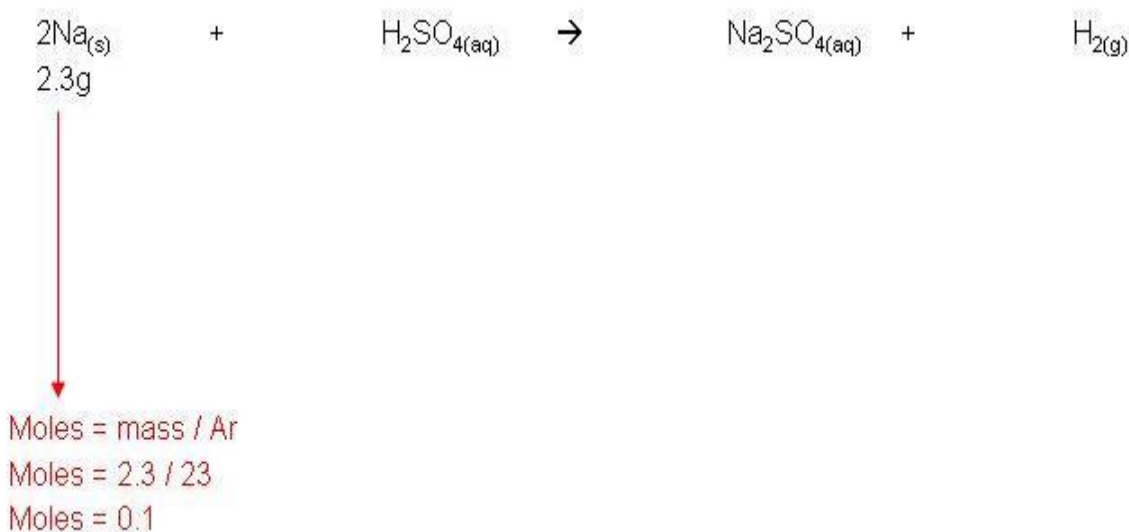
## Concentration / mole calculations:

**Example:** 2.3g sodium reacts with 250cm<sup>3</sup> sulphuric acid to form sodium sulphate and hydrogen gas. Calculate the concentration of sodium sulphate solution made:

**STEP1:** Write a balanced chemical equation and add the amounts given and question mark what you are asked to work out:

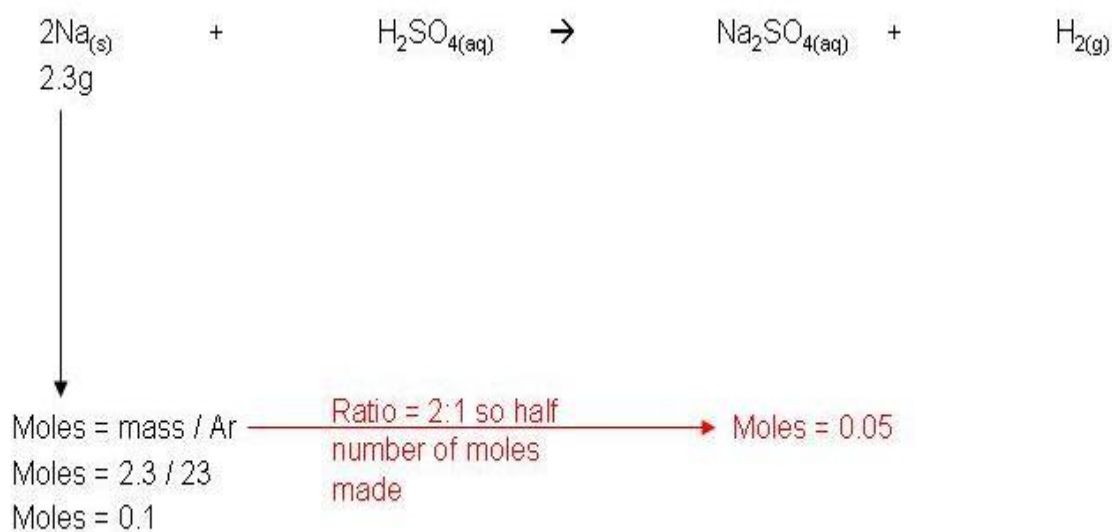


**STEP2:** Check the state symbol of your starting mass to decide which moles equation you will use  
- (s) - means you use **Moles = mass / Ar**

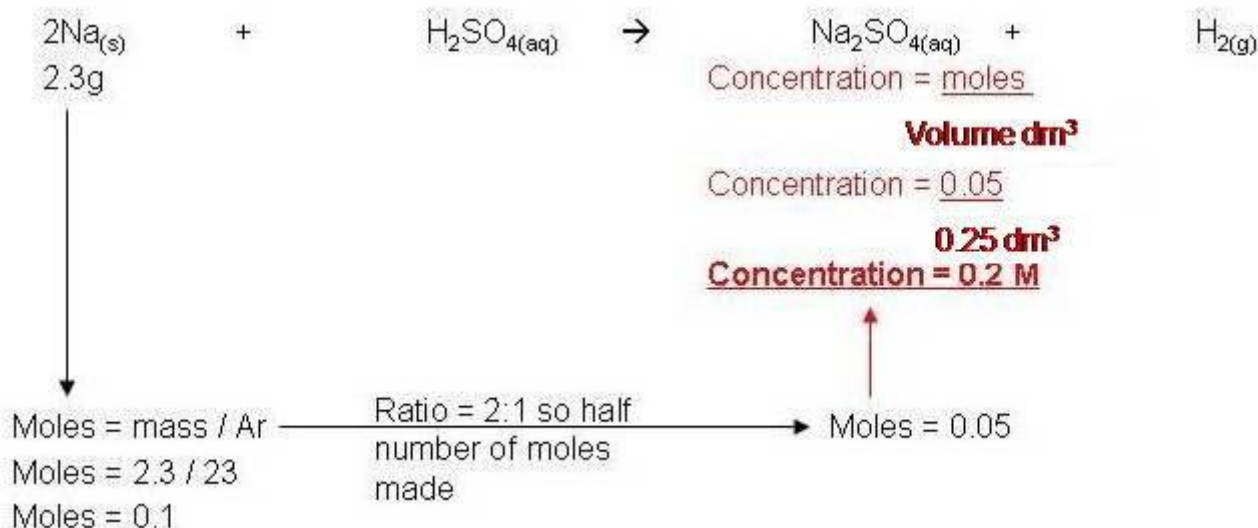


**STEP3:** Use the reacting **ratios** to work out how many moles you have made (or need):

Next step



**STEP4:** Check the question/ state symbol to decide whether to convert it to mass / concentration / volume - (aq) = concentration or volume



**Questions 1-3 p21 / 4 p36**

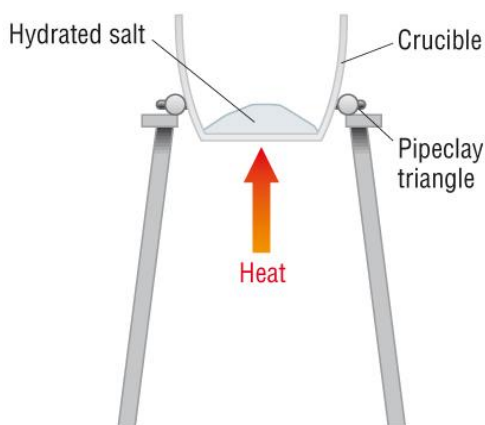
**Water of crystallisation**

- Coloured crystals such as blue copper sulphate contain that colour due to water locked in the crystalline structure.
- If the water is driven off then the crystals appear white.
- This water locked in the crystal is called the **water of crystallisation**.

**Hydrated - Crystals that contain water**

**Anhydrous - Crystals that do not contain water**

- The water can be evaporated by heat. Some compounds will decompose so a moderate heat must be used:

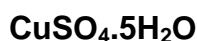


- The waters in the crystal obviously have a mass and will affect the Mr of the crystal.
- The water must be written in the formula. This is done by following a dot after the crystal formula:

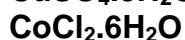


- However most crystals will contain more than 1 mole of water per mole of crystal.

- For copper sulphate, 1 mole of copper sulphate crystals will contain 5 moles of water:



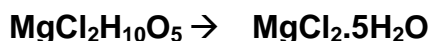
- The number of moles of water per mole of crystal depends upon that crystal:



- The water of crystallisation can be calculated by **empirical formula** and by **moles calculations**:

### From empirical formula

- Count the number of **hydrogen's and divide by 2**. Do not use oxygen as this may be in the crystal formula



### From mole calculations (example)

- From the experiment done earlier it is possible to calculate the masses of crystal and water.

Mass of hydrated  $\text{MgSO}_4 \cdot x\text{H}_2\text{O} = 4.312\text{g}$

Mass of anhydrous  $\text{MgSO}_4 = 2.107\text{g}$

- From this we can calculate the masses of the crystal and water:
- Convert these to moles of crystal and water.
- Divide through by the smallest number of moles to get a whole number ratio:

	Crystal, $\text{MgSO}_4$	Water, $\text{H}_2\text{O}$
<b>Masses of each</b>	2.107g	(4.312 - 2.107)
	<b>2.107g</b>	<b>2.205g</b>
<b>Moles of each</b>	2.107 / Mr	2.205 / Mr
	2.107 / 120.4	2.205 / 18
	<b>0.0175</b>	<b>0.1225</b>
<b>Divide by the smallest</b>	0.0175 / 0.0175	0.1225 / 0.0175
	<b>1</b>	<b>7</b>

So the formula of hydrated  $\text{MgSO}_4 \cdot x\text{H}_2\text{O} = \text{MgSO}_4 \cdot 7\text{H}_2\text{O}$

Now calculate the Formula from the practical you completed earlier.

Questions 1-2 p27 / 15 p35

## Titration - Volumetric analysis

- This technique can be used to find:

**Concentration**

**Mr**

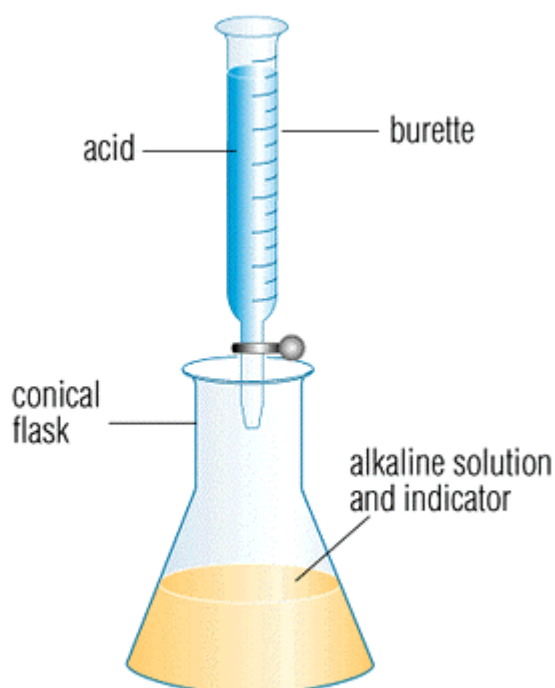
**Formula**

**Water of crystallisation**

- To do this you react a certain volume of a solution with an unknown concentration with a solution of known concentration.
- Using moles and reacting ratios, you can calculate the concentration of this solution. This is known as titration.
- The only requirement is that you can tell when one solution has completely reacted with the other.
- Between acids and alkalis, we use indicators to let us know when the resulting solution is neutral.
- An indicator will change colour at the 'end point' (neutral).
- Common indicators are:

Indicator	Acidic colour	Base colour	End point colour
Methyl orange	Red	Yellow	Orange
Bromothymol Blue	Yellow	Blue	Green
Phenylphthalein	colourless	Pink	Pale pink

## Technique/procedure



- Rinse the burette with distilled water then acid.
- Fill the burette to the graduation mark ensuring the air bubble is removed from the tap.
- Rinse a pipette with alkali, fill and transfer a known volume to a clean, dry conical flask.
- Add some indicator.
- Run the acid into the alkali and stop when the colour changes. This is your '**range finder**'.
- Wash the conical flask with pure water.
- Repeat the previous steps but stop a few  $\text{cm}^3$  before the colour change.
- Add drop wise until the first drop changes the colour of the indicator.
- Repeat until you get 2 results that agree within  $0.10\text{cm}^3$ .

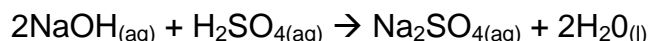
- Record results in a table like the one below:

	Range finder / titration / $\text{cm}^3$	Run 1 / $\text{cm}^3$	Run 2 / $\text{cm}^3$
<b>2<sup>nd</sup> burette reading</b>			
<b>1<sup>st</sup> burette reading</b>			
<b>Volume added</b>			

### Calculation – example

25cm<sup>3</sup> of 0.01M sulphuric acid was added to exactly neutralize 50cm<sup>3</sup> of sodium hydroxide. Calculate the concentration of the sulphuric acid:

#### 1 Write a balanced equation



#### 2 Calculate the number of moles of acid added from the burette

No. of moles = Concentration (Mol dm<sup>3</sup>) x Volume (cm<sup>3</sup>)  
(H<sub>2</sub>SO<sub>4</sub>)

No. of moles = 0.01 Mol dm<sup>3</sup> x 25 cm<sup>3</sup>  
(H<sub>2</sub>SO<sub>4</sub>) 1000

No. of moles = 25 x 10<sup>-3</sup> Moles  
(H<sub>2</sub>SO<sub>4</sub>)

#### 3 Use the ratio to work out the number of moles in the sample of alkali

2 : 1 NaOH : H<sub>2</sub>SO<sub>4</sub>

2x the number of moles for H<sub>2</sub>SO<sub>4</sub>

No. of moles = 25 x 10<sup>-3</sup> x 2  
(NaOH)

No. of moles = 50 x 10<sup>-3</sup> Mol  
(NaOH)

#### 4 Calculate the concentration. (Convert to g dm<sup>3</sup> if necessary)

Concentration (Mol dm<sup>3</sup>) =  $\frac{\text{No Moles}}{\text{Volume (dm}^3\text{)}}$

Concentration (Mol dm<sup>3</sup>) =  $\frac{50 \times 10^{-3}}{0.05 \text{ (dm}^3\text{)}}$

Concentration (Mol dm<sup>3</sup>) = **1 Mol dm<sup>-3</sup>**

#### 5 Convert to g dm<sup>3</sup> if required (usually for solubility)

Mass = No. moles x Mr (NaOH)

Mass = 1 x 40

**Concentration = 40 g dm<sup>-3</sup>**

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